

Chemistry Unit 1
 Primary reference: Chemistry, Addison-Wesley

Topic	Essential Knowledge	Study Support
Scientific Investigation 1.1 SOL 1a, 1b,1c, 1e, 1g	Use chemicals and equipment safely. Scientific notation is used to express very small or very large measurements in powers of ten. Example: $3.2 \times 10^4 = 32,000$ Accuracy is how close a measurement is to the true value. An accurate measurement has very little error. Precision is measure exactness and repeatability. When making measurements, the measurement can only include 1 estimated value. All digits that are known precisely and the 1 estimated value are called significant figures . $\text{Percent Error} = 100 \times \frac{ \text{accepted value} - \text{exper. value} }{\text{accepted value}}$ Significant figures are all the digits that can be known precisely in a measurement plus a last estimated digit. Significant figure calculation rules are used to round calculations with lab data. In addition and subtraction round the answer to the least number of decimal places as contained by the numbers used in the calculation. In multiplication and division round the answer to the least number of significant figures as contained by the numbers used in the calculation Common metric unit prefixes are kilo (1000), centi (1/100), milli (1/1000). The Unit Cancellation Method (Dimensional Analysis) is used to in calculations involving unit conversions.	Study Support Study your Safety Contract carefully and read pp. 18-19. Ch 3: Read pp. 52-53 on scientific notation. Read pp. 54-55 on Percent Error Read pp. 56-62 on sig. figs. Read pp. 63-67 on the metric system. Ch 4: Read pp. 89-99 on Unit Canceling Method.
Atomic Structure and Periodic Relationships 2.1 SOL 2h, 2i	All matter is made from different chemical elements . The Periodic Table of the Elements shows the known elements, arranged by increasing atomic number. The symbol for many of the elements is one capital letter. In two-letter symbols for elements, the first letter is always an upper case letter, the second one a lower case. The smallest particle of an element is an atom . Some common elements are composed of molecules containing two atoms of the same element, also known as the diatomic elements. Example: hydrogen $H_2(g)$ and oxygen $O_2(g)$. BrINClHO F or go to 7, make a 7, don't forget H. A chemical reaction (chemical change) is required to change one substance into another by rearranging its atoms. In a chemical change, a new substance is formed. A physical change occurs when the chemical makeup of a substance stays the same but some physical properties of the substance may change. $\text{Density} = \frac{\text{mass}}{\text{volume}}$ always show units Mixtures are a physical blend of 2 or more substances. A substance can be a compound or an element . In a heterogeneous mixture , the different parts can be easily seen (like salt and pepper mixed together). In a homogeneous mixture the particles are mixed so well that the separate parts cannot be seen (like salt dissolved in water.)	Ch 2: Read pp. 36-39 on elements & compounds. Read pp. 41-43 on chemical rxns. Read pp. 32-38 on mixtures. Look carefully at Figures 2.3 – 2.8.
Nomenclature, Formulas, and Reactions 3.1 SOL 3c	Atoms of different elements can join together by chemical bonds to form a compound . A compound has different properties from its elements. Chemical formulas show the ratio or number of atoms of each element in a compound. Example: 2 hydrogen atoms bonded to one oxygen atom make a water molecule (H_2O).	Ch 2: Read pp. 36-40 on elements and compounds.
Molar Relationships 4.1 SOL 4a	Atoms and molecules are too small to count. Mole is the unit used to count atoms and molecules, similar to using dozens to count eggs. $1 \text{ mole} = 6.02 \times 10^{23} \text{ (atoms or molecules)}$	Chapter 7: Read pp. 171-176 on the mole.
Phases of Matter and Kinetic Molecular Theory 5.1 SOL 5a, 5d	Atoms and molecules are in constant motion. For a given substance, solid particles move slowest, liquid particles mover faster, and gas particles move the fastest. Plasma is the 4 th phase of matter. Plasmas form when gases is heated to a point where electrons dissociate from the nuclei. There is a direct relationship between temperature in Kelvins and speed of the particles. When the temperature increases, particles move faster. $K = ^\circ C + 273$	Ch 2: Look carefully at Table 2.2 and Figure 2.1 on p. 30. Read pp. 30-31 and p. 267.

Objectives for Unit One (Chapters 2, 3 & 4)
Chemistry, Addison-Wesley, 2002

Topic Outline

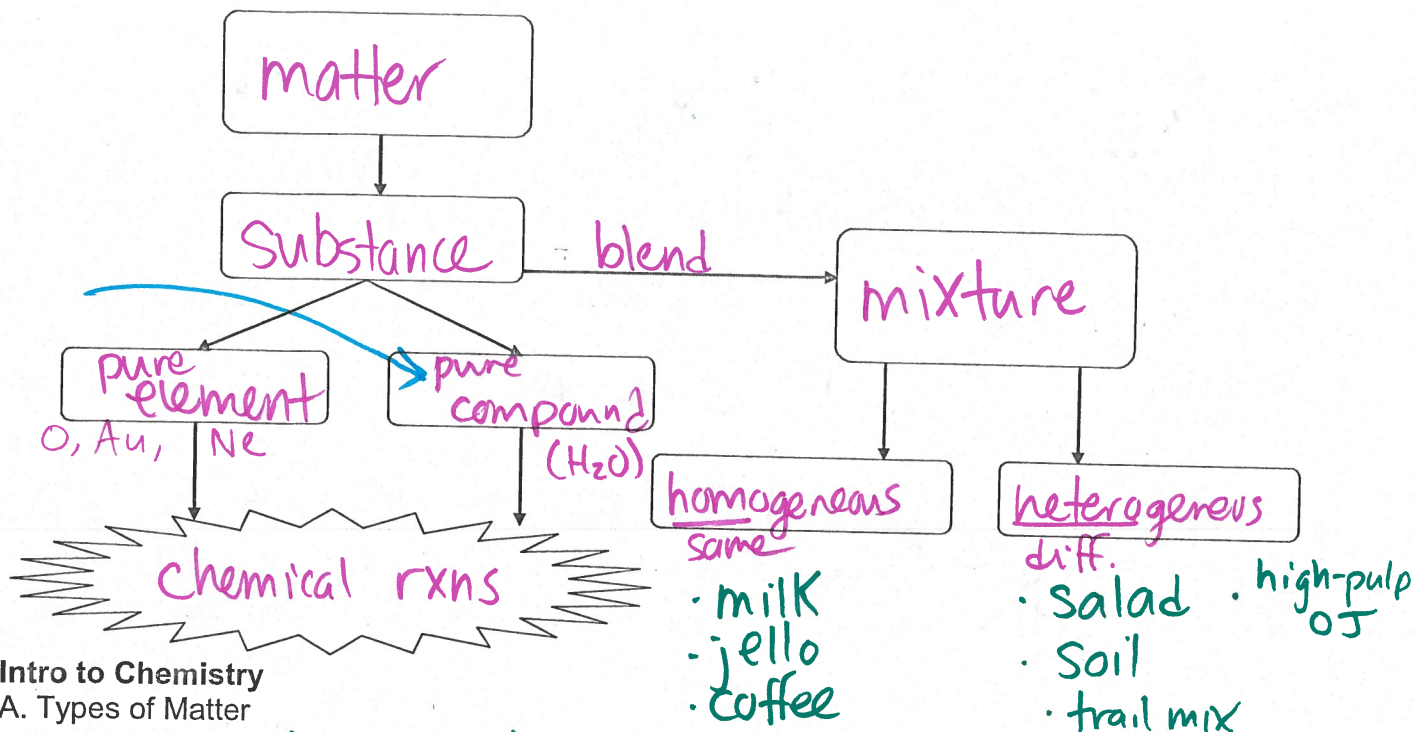
- I) Laboratory Safety
- II) Introduction to Chemistry
 - A) Types of matter (definitions)
 - B) Phases of matter and kinetic theory
 - 1) Kinetic Theory
 - 2) Phases of Matter
 - 3) Converting between °C and K.
 - C) Physical vs. chemical properties and changes
 - D) Basics of chemical reactions
- III) Scientific Measurements and Math
 - A) Measurement uncertainty
 - 1) Accuracy and precision
 - 2) % Error Calculations
 - B) Scientific Calculation Basics
 - 1) Scientific notation
 - 2) Significant figures
 - 3) Conversion factors and the unit cancellation method (a.k.a. dimensional analysis)
 - 4) Metric System units and the mole
 - 5) Calculating density

Objectives (text problems follow in italics)

1. Identify the chemical symbol for elements 1-38 plus Ag, Cd, Sn, I, Xe, Cs, Ba, Pt, Au, Hg, Pb, Rn, Fr from the elements name and *visa versa* (3a) Flashcards required for these 51 elements!
2. Know the basic laboratory safety rules
3. Differentiate between elements, substances, compounds, and heterogeneous/homogeneous mixtures p.47#30,32
4. Memorize the seven diatomic elements (BRINClHO_F)
5. Differentiate between chemical and physical properties and changes p47#34,35,40
6. Understand the basic differences between a gas, liquid, and solid in terms of kinetic theory p47#29
7. Understand the direct relationship between temperature and speed of particles.
8. Understand the inverse relationship between pressure and volume of a gas.
9. Use scientific notation properly including multiplying and dividing using scientific notation p.53#3,4
10. Determine the number of significant figures in any number p78#41
11. Use significant figures correctly in multiplication, and division problems p78#44,#49
12. Memorize and use (SI) metric base units correctly (mass, length, volume, temperature, mole)
13. Memorize and use the conversion equation between °C and K temperature scale. p.75#30,3
14. Memorize and convert between metric unit prefixes (kilo, centi, milli) p94#11,12;p95#16,17
15. Memorize that 1 mole = 6.02×10^{23} particles
16. Explain the difference between precision and accuracy p78#39
17. Calculate percent error from word problems p.78#48
18. Memorize and use the density equation ($D=m/v$) to calculate density, mass, or volume from word problems.p71#24, p72#26,28.
19. Use the unit cancellation method to convert between units and measurements in word problems p100#29-31

Recommended Text: Chapter 2 pp. 29-43, Chapter 3: pp. 51-71, Chapter 4: pp 83-101 (but depend on lecture)

Unit 1 Notes



Intro to Chemistry
A. Types of Matter

Matter: anything w/ mass

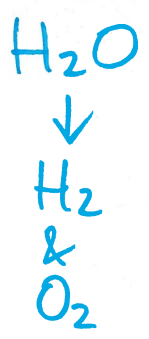
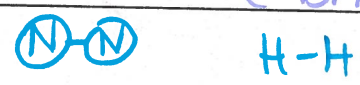
Mass: amt of material in something

Substance: any matter w/ uniform composition.

Examples: CO₂, O₂, H₂O, blood, Fe₂O₃ (rust), O₃

Element: Au, O₂, O₃ ← ozone ← UV

20 Diatomic elements Br₂, I₂, N₂, Cl₂, H₂, O₂, F₂
("Brinclhof")



Compound: ≥ 2 different elements chemically combined (e- sharing/stealing)

Mixtures: ≥ 2 diff. substances.

Homogeneous: uniform composition

Examples: gatorade, air (N₂, O₂), alloy ← 2+ metals

Heterogeneous: not uniform.

Examples: _____

Identify the following as pure element, pure compound, mixtures of elements and/or compounds.

monatomic Ne
diatomic N_2

M.O. elements

pure compound

motion

CO₂

mixtures of C & E

He, Ar
M.O. elements

pure element

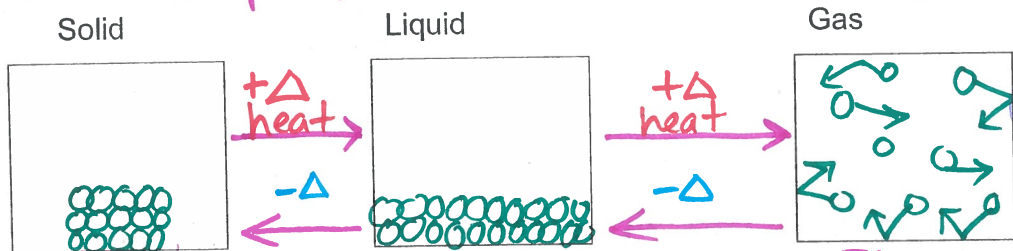
B. Phases of Matter and Kinetic Theory

Solid: def. shape ; def. volume (slow motion, in-place)

Liquid: indef. shape ; def. vol. (slide past) each other

Gas: indef. shape ; indef. vol. (fast! far apart.)

Fluids "flow"



$$P = \frac{F}{A}$$

gases
gases

SLOW motion

FAST motion

Which phases can you compress (decrease the volume)? gases

Plasmas: "superheated gas"
e⁻ & nuclei are separated { lightning, stars, flames }

Substances change phases as temperature increases.

Kinetic Theory: hot things have faster particles

SFN: Intermolecular Forces

→ Why do substances change phases? heat added or removed

Temperature Scales

Celsius Scale

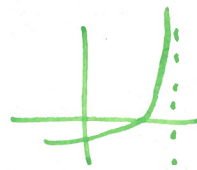
0 °C = 32 °F

100 °C = 212 °F

FP of H₂O

BP of H₂O

Exame 2
 Kin Energy! Kelvin Scale
 No motion of particles



0 K: "absolute zero" ~~the~~ Lowest theoretical temp.
 273 K: = 0°C

Converting between Celsius and Kelvin

Equation: $K = ^\circ C + 273$

Kelvin	0	273	373
Celsius	-273°C	0	100

BP of H₂O

°F
°C
K

Convert the following

20°C = ~~+273~~ 293 K

300K = 27 °C

327°C = 600 K

0/0 [-10C = _____ K
250K = _____ °C

9/9
9/12

C. Physical vs. Chemical Properties and Changes

Physical property: properties that ~~the~~ can be observed w/o changing the substances

Examples: weight, color, shape, BP, MP, FP, metts, hardness, malleable, density, ductile

Chemical Property: ability of substance to form a new compound or react.

Examples: flammable, reactive (stability); shock sensitivity, oxidative, acidity.

Physical Changes: keeps identity (KEEPS FORMULA)

Examples: dissolve, boil, melt, bend, break

Chemical Changes: new substance is formed (new formula)

Examples: heat, reaction, decompose, synthesize, fermentation, burn, gas, color changes, (alcohols) digest.

D. Basics of Chemical Reactions:

Reactants → Products



Indicators: heat changes, new smell, light emitted, bubbles (gas), new solid forms.

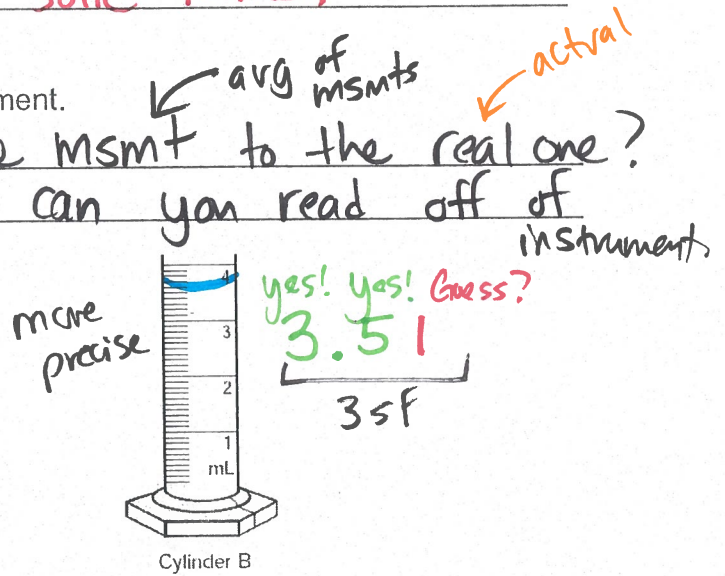
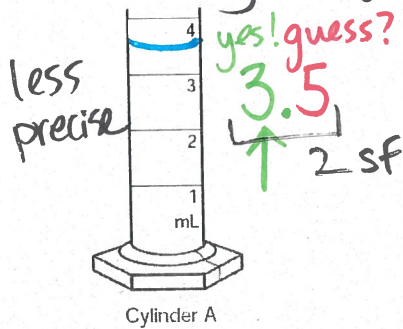
Scientific Measurement and Math

A. Measurement uncertainty for a single measurement.

Accuracy: How close is the msmt to the real one?

Precision: How many digits can you read off of instrument?

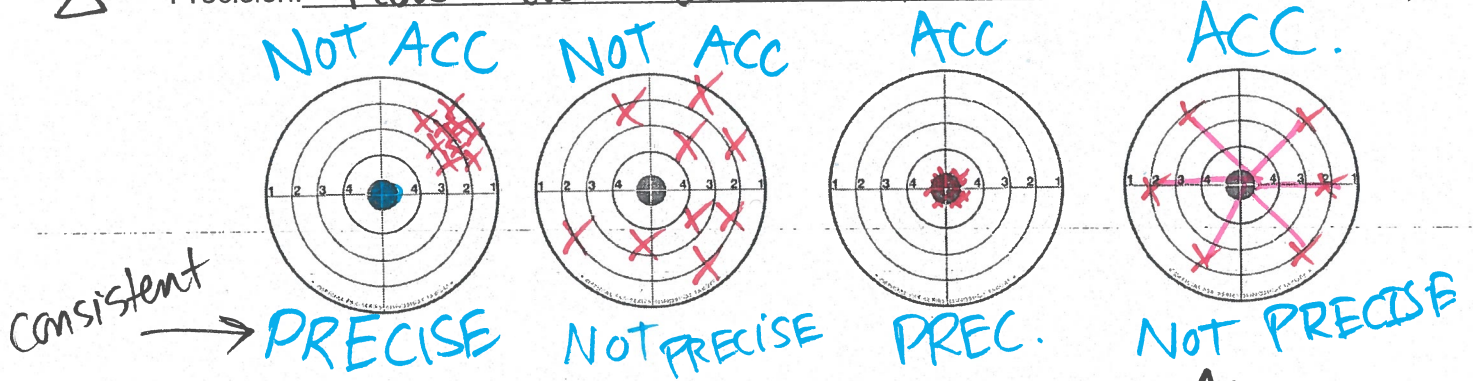
162.4 lbs
162.385 lbs
precise



Measurement uncertainty for a set of measurements.

\bar{x} Accuracy: How close is the avg to the {real true actual} value?

Δ Precision: How close are msmts to each other?



Example: Three students are determining the density of a sample of silver, Ag. The accepted density of silver is 10.50 g/cm³. Which student is most accurate? Which student is most precise?

	Julie	Robert	Terry
Trial 1	10.54 g/cm ³	10.61	10.44
Trial 2	10.46 g/cm ³	10.60	10.51
Trial 3	10.47 g/cm ³	10.62	10.55
Average/Mean	10.49 g/cm ³	10.61 g/cm ³	10.50 g/cm ³
Range	0.08	0.02	0.11

$$\% \text{ err} = \frac{|EV - TV|}{TV} \times 100$$

you / someone else

$$\frac{|\text{experimental value} - \text{true value}|}{\text{true value}} \times 100$$

Percent Error:

Example: My bathroom scale indicates that I weigh 135 lbs. The calibrated Doctor's scale says 142 lbs. What is the percent error of my scale?

$$\% \text{ err} = \frac{|EV - TV|}{TV} \Rightarrow \frac{|135 - 142|}{142} \Rightarrow \left(\frac{7}{142} \times 100 \right) = 4.9\%$$

A student uses a ruler to determine a circle has a diameter of 3.8 centimeters. The true diameter is 3.7 centimeters. What is the student's percent error? (Ans = 2.7%)

Calibration: making sure an instrument is accurate by known standard. (like tuning a guitar string to a note)

9/12
9/13

B. Scientific Calculation Basics

1) Scientific Notation: expresses BIG or SMALL #s

only one non-zero digit before decimal point

1.25 x 10² NOT 12.5 x 10¹
Mantissa

10¹ = 10

10² = 100

10³ = 1000

10⁻¹ = 1/10 = 0.1

10⁻² = 1/100 = 0.01

10⁻³ = 1/1000 = ~~0.000~~ 0.001

10⁰ = 1

converting decimal notation to scientific notation

1. Count the number of places you move the decimal point = exponent

2. If the |number| is greater than 1: positive exponent

If the |number| is less than 1: negative exponent

Examples:

123,000 = 1.23 x 10⁵
54321

0.0047 = 4.7 x 10⁻³

$\sqrt{-420} = -4.2 \times 10^2$

Converting scientific notation to decimal notation

1. Move the decimal point to make the number smaller if the exponent is negative

2. Move the decimal point to make the number larger if the exponent is positive

Examples: 4.5 x 10⁻³ = 0.0045 7.4 x 10⁴ = 74,000

0.0045

$$3 \times 10^{2+4}$$

mantissas

multiplying: multiply coefficients; add exponents.

$$(Y \times 10^A) \cdot (Z \times 10^B) = (Y \cdot Z) \times 10^{A+B}$$

Examples:

$$(2 \times 10^2)(3 \times 10^3) = 6 \times 10^5$$

$$(3 \times 10^{-2})(1.5 \times 10^{-1}) = 4.5 \times 10^{-3}$$

$$(3 \times 10^{-10})(5 \times 10^4) = 15 \times 10^{-6} \rightarrow \text{must be fixed}$$

e) dividing: divide coefficients; subtract exponents

$$\frac{Y \times 10^A}{Z \times 10^B} \rightarrow \left(\frac{Y}{Z}\right) \times 10^{A-B}$$

$$\frac{6 \times 10^3}{2 \times 10^{-4}} \rightarrow 3 \times 10^7$$

correcting scientific notation:

only one digit in front of the decimal point is allowed.

SFN

$$15 \times 10^{-6} = \underline{\hspace{15cm}}$$

$$0.073 \times 10^4 = \underline{\hspace{15cm}}$$

Convert to scientific notation:

$$235 = \underline{\hspace{10cm}}$$

$$0.0521 = \underline{\hspace{10cm}}$$

$$102,400 = \underline{\hspace{10cm}}$$

Convert to decimal notation:

$$1.2 \times 10^{-4} = \underline{\hspace{10cm}}$$

$$4.2 \times 10^3 = \underline{\hspace{10cm}}$$

Solve:

$$(3 \times 10^2)(3 \times 10^4) = \underline{\hspace{10cm}}$$

$$(8 \times 10^4)/(2 \times 10^{-2}) = \underline{\hspace{10cm}}$$

$$(3 \times 10^3)(4 \times 10^{-5}) = \underline{\hspace{10cm}}$$

$$5.6 \times 10^{-7}$$

5 . 6 E - 7

"times 10 to the "
 $\times 10^{\square}$

Using your scientific calculator

$$\text{Solve } (3.0 \times 10^4)(7.2 \times 10^{-9})$$

$$\text{TI-30XA enter } 3.0 \text{EE} 4 \times 7.2 \text{EE} (-) 9 =$$

$$\text{TI Graphing Calculator enter } 3.0 \text{2}^{\text{nd}} \text{EE} 4 \times 7.2 \text{2}^{\text{nd}} \text{EE} (-) 9 \text{ENTER}$$

$$4.92 \times 10^{17}$$

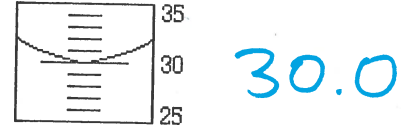
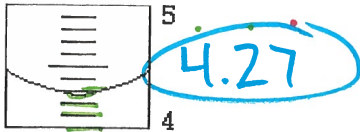
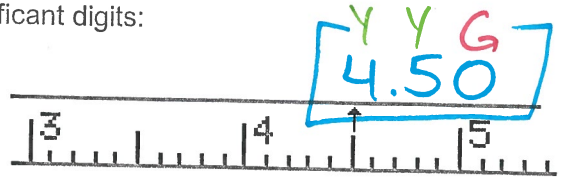
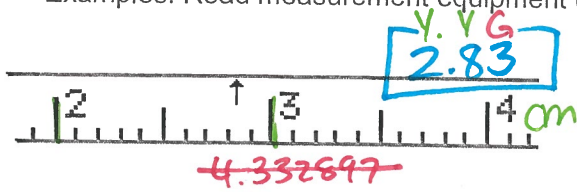
$$4.92 \text{E} 17$$

160.5
→ 160.45793

Significant Figures: digits that indicate a measurement's or calculation's precision.

For measurement equipment, always estimate one digit beyond the last division. The estimated digit is the last significant digit. For electronic equipment, the last displayed digit is significant.

Examples: Read measurement equipment using significant digits:



Math with significant digits:

1. Leading zeros never count
2. Trailing zeros only count if there's a decimal point
3. Exact counts and conversion factors have an infinite number of significant digits:

Examples:

23 has 2 significant digits

203 has 3 significant digits

0.0203 has 3 significant digits

2030 has 3 significant digits

2030.0 has 5 significant digits.

2.0×10^{-3} has 2 significant figures

mantissa

When multiplying or dividing, the answer is rounded to the same number of significant digits as the factor with the least number of significant digits. Use scientific notation if you get stuck.

Example: $3.0 \times 3 = 9$, but $3.0 \times 3.0 = 9.0$

$7.0 \times 5.0 = 35$, but $7 \times 5.0 = 40$ (35 rounds to 40)

$5 \times 8 = 40$, but $5.0 \times 8.0 = 40$.

SFN → $5.0 \times 80.0 = 400$, correct to 4.0×10^2

00000000.024

0.024

Central Zeros Matter # CZM

.5 mg

↓ 5 mg
0.5 mg

4sf
 4.700×10^4

"weakest link"

\$ 100,000

\$ 100,100.72 ^{more}

When adding or subtracting, the final answer should be rounded to the least number of decimal places.

$$\begin{array}{r} 9 \\ + 2.1 \\ \hline \rightarrow 11.1 \\ \rightarrow 11 \end{array}$$

$$\begin{array}{r} 9 \\ + 2.6 \\ \hline \rightarrow 11.6 \\ \rightarrow 12 \end{array}$$

$$\begin{array}{r} 8 \\ + 2.1 \\ \hline 10.1 \\ 10 \end{array}$$

$$\begin{array}{r} 10.27 \\ + 9.4 \\ \hline \rightarrow 19.67 \\ \rightarrow 19.7 \end{array}$$

$$\begin{array}{r} 2200 \\ + 15 \\ \hline 2215 \\ 2200 \end{array}$$

Unit Canceling Method(A.K.A. Dimensional Analysis or Factor-Label)

Unit Canceling Method: _____

Some math terms:

$\frac{4 \text{ quarts}}{1 \text{ gallon}}$	Numerator:	Denominator:	Coefficients:
	Units:		

Parking lot problem: I have 22 quarters, but I want nickels. How many nickels should I get?
Given: Find: Know:

Side Street Problem: How many teaspoons are in 3.2 cups?
Given: Find: Know: 1 cup=16 Tbs, 1 Tbs=3 tsp

Main Street Problem: How many feet are in 0.41 meters?(Ans = 1.349 ft = _____ w/ sig figs)
Given: Find: Know: 1 inch = 2.54 cm and 1 m = 100 cm

Metric System Units for Chemistry

	Length	Volume	Mass
Base unit	meter	Liter	gram
Abbrev.	m	L	g
Common chemistry units	m, mm, cm, μ m, nm	L, mL, μ L	kg, g, mg, μ g

Metric System Prefixes (using meter as base system)

Number of meters, liters, or grams	prefix	Abbeviation with meter	Written as a power of 10
1000	kilo	km	1 km = _____ m
100	hecto	hm	1 hm = _____ m
10	deka	dkm	1 dkm = _____ m
1	base unit (m, L, g.)		
0.1	deci	dm	1 dm = _____ m
0.01	centi	cm	1 cm = _____ m
0.001	milli	mm	1 mm = _____ m

Conversions to memorize (using meters as example)

$$1000 \text{ m} = 1 \text{ km} \quad 10 \text{ dm} = 1 \text{ m} \quad 100 \text{ cm} = 1 \text{ m} \quad 1000 \text{ mm} = 1 \text{ m} \quad 1 \text{ cm} = 10 \text{ mm}$$

$$1 \text{ Liter} = \text{_____ mL} \quad 1 \text{ kg} = \text{_____ g}$$

Metric Conversions with Unit Analysis

Convert 320 mm to _____ m. Given:

Find:

Convert 3.23 kilograms to grams

Given:

Find:

Km → m → cm

A student ran 5.8 km. How many centimeters did the student run?

Given:

Find:

$$\frac{5.8 \text{ km}}{1} \times \frac{1000 \text{ m}}{1 \text{ km}} \times \frac{100 \text{ cm}}{1 \text{ m}} = \underline{\hspace{2cm}} \text{ cm}$$

Convert 8.2×10^8 mg to kg

Given:

Find:

$$\frac{8.2 \text{ E}8 \text{ mg}}{1} \times \frac{1 \text{ g}}{1000 \text{ mg}} \times \frac{1 \text{ kg}}{1000 \text{ g}} = \underline{820} \text{ kg}$$

More about units

Volume: one Liter = 1 dm^3 by definition and $1 \text{ mL} = 1 \text{ cm}^3$

so $1 \text{ L} = \underline{\hspace{1cm}} \text{ mL} = \underline{\hspace{1cm}} \text{ cm}^3$

Mass: 1 kilogram:

1 L of H_2O @ 4°C

1 gram

1 mL of H_2O @ 4°C

★ The Mole:

$6.02 \text{ E}23$ aka 6.02×10^{23} "things"
(atoms, molecules, or protons, etc.)



1 dozen = 12 things

1 trio = 3 things

1 team = 500 things

1 grand = 1000 things

1 score = 20 things

1 mole = 6.02×10^{23} things

huge

~~mole~~

"Start w/ what you know"

Unit Cancellation and the Mole

We know a dozen equals 12 of anything. We know a trio of singers means three singers. Chemists wanted a similar convenient term to count atoms and molecules. They came up with the term mole. One mole = 602,000,000,000,000,000,000 of things.

1 mole = 6.02×10^{23} representative particles or

$$\frac{1 \text{ mol}}{6.02 \times 10^{23} \text{ rep. part}} = \frac{6.02 \times 10^{23} \text{ rep. part.}}{1 \text{ mol}}$$

³
8.25 dozen eggs = 99.0 eggs

$$\frac{8.25 \cancel{\text{ dz}}}{1} \times \frac{12 \text{ \# of eggs}}{1 \cancel{\text{ dz}}}$$

8.25 moles of eggs = 4.97×10^{24} eggs

$$\frac{8.25 \cancel{\text{ mol}}}{1} \times \frac{6.02 \text{ E } 23 \text{ eggs}}{1 \cancel{\text{ mol}}}$$

220,000 doughnuts = _____ dozen doughnuts

$$\frac{220,000 \cancel{\text{ dnts}}}{1} \times \frac{1 \text{ dz}}{12 \cancel{\text{ dnts}}}$$

220,000 doughnuts = 3.7×10^{-19} moles of doughnuts

$$\frac{220,000 \cancel{\text{ dnts}}}{1} \times \frac{1 \text{ mol}}{6.02 \text{ E } 23 \cancel{\text{ dnts}}} = 3.65 \text{ E } -19$$

⁴
0.04221 moles of iron atoms = _____ iron atoms

$$\frac{0.04221 \cancel{\text{ mol Fe}}}{1} \times \frac{6.02 \text{ E } 23 \text{ Fe atoms}}{1 \cancel{\text{ mol Fe}}}$$

4.5×10^{26} sodium atoms = 7.5×10^2 moles of sodium atoms

$$\frac{4.5 \text{ E } 26 \text{ Na atoms}}{1} \times \frac{1 \text{ mol Na}}{6.02 \text{ E } 23 \text{ Na atoms}}$$

3.01×10^{-4} moles of water molecules, H_2O , = _____ water molecules

$$\frac{3.01 \text{ E } -4 \cancel{\text{ mol H}_2\text{O}}}{1} \times \frac{6.02 \text{ E } 23 \text{ molecules H}_2\text{O}}{1 \cancel{\text{ mol H}_2\text{O}}}$$

8×10^{20} potassium atoms = _____ moles of potassium atoms

$$\frac{8 \text{ E } 20 \text{ K atoms}}{1} \times \frac{1 \text{ mol K}}{6.02 \text{ E } 23 \text{ K atoms}}$$

Calculating Density

Density is an intrinsic physical property of a substance.

Example: Au, _____, density = 19.3 g/cm^3 and Al, _____, density = 2.7 g/cm^3

Equation:

unit =

Example 1: A 4.8 gram sample of grey metal has a volume of 3.9 cm^3 . What is the metal's density?

Example 2: What is the mass of a pine block measuring $2.0 \times 3.0 \times 6.0 \text{ cm}$ with a density of 0.50 g/cm^3 .

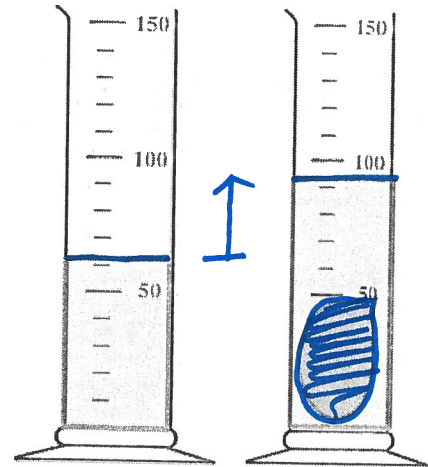
Example 3: What is the volume of a gold bar with a mass of 1.81×10^4 grams. Au's density = 19.3 g/cm^3

Approach 1—use equation.

Approach 2—use unit cancelation and density as a conversion factor.

Density by Displacement.

A ingot of unknown metal with a mass of 241 grams is dropped into a graduated cylinder containing _____ mL of water. The water level rises to _____ mL. What is the density of the unknown metal?



A machinist needs to identify if an unlabeled box of screws is made of aluminum or stainless steel. The machinist puts 15 screws with a mass of 28 grams into a graduated cylinder that contains 20.0 mL of water. The water level rises to 30.4 mL. Steel has a density of 8.0 g/cm^3 whereas aluminum has a density of 2.7 g/cm^3 . What are the screws made of? Justify your answer using a calculation.

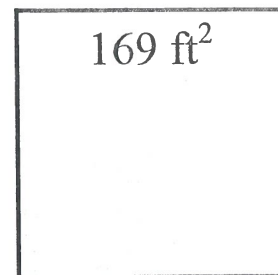
More Dimensional Analysis Practice

- 1) Determine how many milligrams (abbreviation: mg) are in 3.21 lbs of lead. (1 lb = about 2.204 kg)

$$\frac{3.21 \text{ lbs Pb}}{1} \times \frac{\text{kg Pb}}{\text{lbs Pb}}$$

- 2) Earth is 1 "astronomical unit" away from the Sun. (1 AU is 150,000,000 km, by the way) Jupiter is 5.2 AU away from the Sun. How many miles is Jupiter from the Sun? (1 mile = 1.609 km)

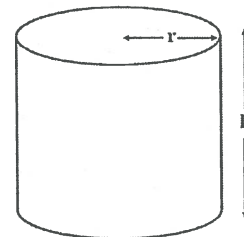
- 3) The area of this square garden is 169 cubic feet. What is the area in cubic meters? (1 foot = 12 inches. 1 inch = 2.54 cm)



- 4) 1 mL is a volume unit that is equivalent to 1 cubic centimeter (cm³). This cylinder has a radius of 3.84 cm, and a height of 12.57 cm.

- a. Determine the volume of the cylinder in cubic centimeters.

$$V = \pi r^2 h$$



- b. Determine the volume of the cylinder in milliliters.

- c. Determine the volume of the cylinder in liters. Use scientific notation.

- d. Determine the volume of the cylinder in ounces. (1 oz = about 29.57 mL)