## Chemistry Unit 1 <br> Primary reference: Chemistry: Matter and Change [Glencoe, 2017]



## Objectives for Unit One

Chemistry: Matter and Change (Glencoe, 2017)

## Topic Outline

I) Laboratory Safety
II) Introduction to Chemistry
A) Types of matter (definitions)
B) Phases of matter and kinetic theory

1) Kinetic Theory
2) Phases of Matter
3) Converting between ${ }^{\circ} \mathrm{C}$ and K .
C) Physical vs. chemical properties and changes
D) Basics of chemical reactions
III) Scientific Measurements and Math
A) Measurement uncertainty
4) Accuracy and precision
5) \% Error Calculations
B) Scientific Calculation Basics
6) Scientific notation
7) Significant figures
8) Conversion factors and the unit cancellation method(a.k.a. dimensional analysis)
9) Metric System units and the mole
10) Calculating density

## Objectives (text problems follow in italics)

1. Identify the chemical symbol for elements $1-38$ plus $\mathrm{Ag}, \mathrm{Cd}, \mathrm{Sn}, \mathrm{I}, \mathrm{Xe}, \mathrm{Cs}, \mathrm{Ba}, \mathrm{Pt}, \mathrm{Au}, \mathrm{Hg}, \mathrm{Pb}, \mathrm{Rn}, \mathrm{Fr}$ from the elements name and visa versa (3a) Flashcards required for these 51 elements!
2. Know the basic laboratory safety rules
3. Differentiate between elements, substances, compounds, and heterogeneous/homogeneous mixtures
4. Memorize the seven diatomic elements (BrINCIHOF)
5. Differentiate between chemical and physical properties and changes
6. Understand the basic differences between a gas, liquid, and solid in terms of kinetic theory
7. Understand the direct relationship between temperature and speed of particles.
8. Understand the inverse relationship between pressure and volume of a gas.
9. Use scientific notation properly including multiplying and dividing using scientific notation
10. Determine the number of significant figures in any number
11. Use significant figures correctly in multiplication, and division problems
12. Memorize and use (SI) metric base units correctly (mass, length, volume, temperature, mole)
13. Memorize and use the conversion equation between ${ }^{\circ} \mathrm{C}$ and K temperature scale.
14. Memorize and convert between metric unit prefixes (kilo, centi, milli)
15. Memorize that 1 mole $=6.02 \times 10^{23}$ particles
16. Explain the difference between precision and accuracy
17. Calculate percent error from word problems
18. Memorize and use the density equation ( $D=m / v$ ) to calculate density, mass, or volume from word problems.
19. Use the unit cancellation method to convert between units and measurements in word problems

Unit 1 Notes


Intro to Chemistry
A. Types of Matter

Matter: $\qquad$
Mass: $\qquad$
Substance: $\qquad$
Examples: $\qquad$
Element: $\qquad$
Diatomic elements $\qquad$
$\qquad$

Compound: $\qquad$

Mixtures: $\qquad$

Homogeneous: $\qquad$
Examples:

Heterogeneous: $\qquad$
Examples:

Identify the following as pure element, pure compound, mixtures of elements and/or compounds.

B.Phases of Matter and Kinetic Theory

Solid: $\qquad$
Liquid: $\qquad$
Gas:


Which phases can you compress (decrease the volume)? $\qquad$
Plasmas: $\qquad$

Substances change phases as temperature increases.
Kinetic Theory: $\qquad$ .
Intermolecular Forces
Why do substances change phases? $\qquad$

## Temperature Scales

Celsius Scale
$0{ }^{\circ} \mathrm{C}$ : $\qquad$
$100{ }^{\circ} \mathrm{C}$ $\qquad$
2 of 14

Kelvin Scale
0 K : $\qquad$
273 K: $\qquad$
Converting between Celsius and Kelvin
Equation: $\mathrm{K}={ }^{\circ} \mathrm{C}+273$

| Kelvin | 0 |  |  |
| :---: | :---: | :---: | :---: |
| Celsius |  | 0 | 100 |

Convert the following

C. Physical vs. Chemical Properties and Changes

Physical property: $\qquad$

## Examples:

Chemical Property: $\qquad$

## Examples:

Physical Changes:
Examples:

Chemical Changes: $\qquad$
$\qquad$

## Examples:

D. Basics of Chemical Reactions:

Reactants $\rightarrow$ Products
Example: $\mathrm{CH}_{4}+2 \mathrm{O}_{2} \rightarrow \mathrm{CO}_{2}+2 \mathrm{H}_{2} \mathrm{O}$
Indicators: $\qquad$

## Scientific Measurement and Math

A. Measurement uncertainty for a single measurement.

Accuracy: $\qquad$
Precision: $\qquad$


Cylinder A


Cylinder B

Measurement uncertainty for a set of measurements.
Accuracy: $\qquad$
Precision: $\qquad$


Example: Three students are determining the density of a sample of silver, $\qquad$ .
The accepted density of silver is $10.50 \mathrm{~g} / \mathrm{cm}^{3}$. Which student is most accurate? Which student is most precise?

|  | Julie | Robert | Terry |
| :--- | :--- | :--- | :--- |
| Trial 1 | $10.54 \mathrm{~g} / \mathrm{cm} 3$ | 10.61 | 10.44 |
| Trial 2 | $10.46 \mathrm{~g} / \mathrm{cm} 3$ | 10.60 | 10.51 |
| Trial 1 | $10.47 \mathrm{~g} / \mathrm{cm} 3$ | 10.62 | 10.55 |
| Average/Mean |  |  |  |
| Range |  |  |  |



Example: My bathroom scale indicates that I weigh 135 lbs . The calibrated Doctor's scale says 142 lbs. What is the percent error of my scale?

A student uses a ruler to determine a circle has a diameter of 3.8 centimeters. The true diameter is 3.7 centimeters. What is the student's percent error? $(A n s=2.7 \%)$

Calibration:
B. Scientific Calculation Basics
1)Scientific Notation:
only one non-zero digit before decimal point
$1.25 \times 10^{2}$ NOT $12.5 \times 10^{1}$
$10^{1}=$
$10^{2}=$ $\qquad$ $10^{3}=$ $\qquad$
$10^{-1}=$ $\qquad$
$10^{-2}=$ $\qquad$
$10^{-3}=$ $\qquad$
$10^{\circ}=$ $\qquad$
converting decimal notation to scientific notation

1. Count the number of places you move the decimal point = exponent
2.If the |number|is greater than 1 : $\qquad$ exponent
If the $\mid$ number $\mid$ is less than 1 : $\qquad$ exponent

## Examples:

123,000 = $\qquad$ $0.0047=$ $\qquad$ $-420=$ $\qquad$

Converting scientific notation to decimal notation

1. Move the decimal point to make the number smaller if the exponent is negative
2. Move the decimal point to make the number larger is the exponent is positive

Examples:
$4.5 \times 10^{-3}=$ $\qquad$ $7.4 \times 10^{4}=$ $\qquad$
multiplying:

Examples:

$$
\begin{aligned}
& \left(2 \times 10^{2}\right)\left(3 \times 10^{3}\right)= \\
& \left(3 \times 10^{-10}\right)\left(5 \times 10^{4}\right)=
\end{aligned}
$$

e)dividing: $\qquad$
correcting scientific notation:
only one digit in front of the decimal point is allowed.
$15 \times 10^{-6}=$ $\qquad$
$0.073 \times 10^{4}=$ $\qquad$

Convert to scientific notation:
$\qquad$
$235=$
$0.0521=$ $\qquad$ $102,400=$ $\qquad$
Convert to decimal notation:
$1.2 \times 10^{-4}=$ $\qquad$ $4.2 \times 10^{3}=$ $\qquad$
Solve:

$$
\left(3 \times 10^{2}\right)\left(3 \times 10^{4}\right)=\square \quad\left(8 \times 10^{4}\right) /\left(2 \times 10^{-2}\right)=
$$ $\left(3 \times 10^{3}\right)\left(4 \times 10^{-5}\right)=$

## Using your scientific calculator

Solve $\left(3.0 \times 10^{4}\right) \times\left(7.2 \times 10^{-9}\right)$
TI-30XA enter 3.0EE4 x 7.2 EE (-9)=
TI Graphing Calculator enter 3.0 2ng EE $4 \times 7.22^{\text {no }}$ EE ( -9 ENTER

## Significant Figures: digits that indicate a measurement's or calculation's precision.

For measurement equipment, always estimate one digit beyond the last division. The estimated digit is the last significant digit. For electronic equipment, the last displayed digit is significant.

Examples: Read measurement equipment using significant digits:


Math with significant digits:

1. Leading zeros never count
2. Trailing zeros only count if there's a decimal point
3. Exact counts and conversion factors have an infinite number of significant digits:

## Examples:

23 has 2 significant digits
203 has 3 significant digits
0.0203 has 3 significant digits

2030 has 3 significant digits
2030.0 has 5 significant digits.
$2.0 \times 10^{-3}$ has 2 significant figures
When multiplying or dividing, the answer is rounded to the same number of significant digits as the factor with the least number of significant digits. Use scientific notation if you get stuck.

Example: $3.0 \times 3=9$, but $3.0 \times 3.0=9.0$
$7.0 \times 5.0=35$, but $7 \times 5.0=40(35$ rounds to 40$)$
$5 \times 8=40$, but $5.0 \times 8.0=40$.
$5.0 \times 80.0=400$, correct to $4.0 \times 10^{2}$
When adding or subtracting, the final answer should be rounded to the least number of decimal places.

| 9 | 9 | 8 | 10.27 | 2200 |
| :---: | :---: | :---: | :---: | :---: |
| +2.1 |  |  |  |  |
| 11.1 | +2.6 | +2.1 | +9.4 | +15 |
| 11 | 12 | 10.6 | 19.67 | 2215 |
|  |  | 10 | 19.7 | 2200 |

## Unit Canceling Method(A.K.A. Dimensional Analysis or Factor-Label)

Unit Canceling Method: $\qquad$

Some math terms:

| $\frac{4 \text { quarts }}{1 \text { gallon }}$ | Numerator: Denominator: Coefficents: |
| :---: | :--- |
|  | Units: |

Parking lot problem: I have 22 quarters, but I want nickels. How many nickels should I get? Given:

Find:
Know:

Side Street Problem: How many teaspoons are in 3.2 cups? Given:
$\qquad$ w/ sig figs) Given:

Find:
Know: 1 inch = 2.54 cm and $1 \mathrm{~m}=100 \mathrm{~cm}$

## Metric System Units for Chemistry

|  | Length | Volume | Mass |
| :--- | :--- | :--- | :--- |
| Base unit |  |  |  |
| Abbrev. |  |  |  |
| Common <br> chemistry units |  |  |  |

## Metric System Prefixes (using meter as base system)

| Number of meters, liters, or grams | prefix | Abbeviation with meter | Written as a power of 10 |
| :---: | :---: | :---: | :---: |
| 1000 | kilo | km | $1 \mathrm{~km}=\ldots \mathrm{m}$ |
| 100 | hecto | hm | $1 \mathrm{hm}=\ldots \mathrm{m}$ |
| 10 | deka | dkm | $1 \mathrm{dkm}=\underline{\mathrm{m}}$ |
| 1 | base unit (m, L, g.) |  |  |
| 0.1 | deci | dm | $1 \mathrm{dm}=\ldots \mathrm{m}$ |
| 0.01 | centi | cm | $1 \mathrm{~cm}=\ldots \mathrm{m}$ |
| 0.001 | milli | mm | $1 \mathrm{~mm}=\ldots \mathrm{m}$ |

Conversions to memorize (using meters as example)
$1000 \mathrm{~m}=1 \mathrm{~km} \quad 10 \mathrm{dm}=1 \mathrm{~m}$
$100 \mathrm{~cm}=1 \mathrm{~m}$
$1000 \mathrm{~mm}=1 \mathrm{~m}$
$1 \mathrm{~cm}=10 \mathrm{~mm}$

1 Liter = $\qquad$ mL $1 \mathrm{~kg}=$ $\qquad$

## Metric Conversions with Unit Analysis

Convert 320 mm to $\qquad$ m. Given:

Find:

Convert 3.23 kilograms to grams Given:

Find:

A student ran 5.8 km . How many centimeters did the student run? Given:

Find:

Convert $8.2 \times 10^{8} \mathrm{mg}$ to kg
Given:
Find:

More about units
Volume: one Liter $=1 \mathrm{dm}^{3}$ by definition and $1 \mathrm{~mL}=1 \mathrm{~cm}^{3}$
so $1 \mathrm{~L}=$ $\qquad$ $\mathrm{mL}=$ $\qquad$ $\mathrm{cm}^{3}$

Mass: 1 kilogram:
$\qquad$
1 gram

The Mole:


## Unit Cancelation and the Mole

We know a dozen equals 12 of anything. We know a trio of singers means three singers. Chemists wanted a similar convenient term to count atoms and molecules. They came up with the term mole. One mole $=602,000,000,000,000,000,000,000$ of things.

1 mole $=6.02 \times 10^{23}$ representative particles or
$\frac{1 \mathrm{~mol}}{6.02 \times 10^{23} \text { rep. part }}=\frac{6.02 \times 10^{23} \text { rep. part. }}{1 \mathrm{~mol}}$
8.25 dozen eggs = $\qquad$ eggs
8.25 moles of eggs = $\qquad$ eggs

220,000 doughnuts = $\qquad$ dozen doughnuts

220,000 doughnuts = $\qquad$ moles of doughnuts
0.04221 moles of iron atoms $=$ $\qquad$ iron atoms
$4.5 \times 10^{26}$ sodium atoms $=$ $\qquad$ moles of sodium atoms
$3.01 \times 10^{-4}$ moles of water molecules, $\mathrm{H}_{2} \mathrm{O},=$ $\qquad$ water molecules
$8 \times 10^{20}$ potassium atoms $=$ $\qquad$ moles of potassium atoms

## Calculating Density

Density is an intrinsic physical property of a substance.
Example: Au, $\qquad$ , density $=19.3 \mathrm{~g} / \mathrm{cm}^{3}$ and Al , $\qquad$ density $=2.7 \mathrm{~g} / \mathrm{cm}^{3}$ Equation: unit =

Example 1: A 4.8 gram sample of grey metal has a volume of $3.9 \mathrm{~cm}^{3}$. What is the metal's density?

Example 2: What is the mass of a pine block measuring $2.0 \times 3.0 \times 6.0 \mathrm{~cm}$ with a density of $0.50 \mathrm{~g} / \mathrm{cm}^{3}$.

Example 3: What is the volume of a gold bar with a mass of $1.81 \times 10^{4}$ grams. Au's density $=19.3 \mathrm{~g} / \mathrm{cm}^{3}$

Approach 1—use equation.

Approach 2—use unit cancelation and density as a conversion factor.

## Density by Displacement.

A ingot of unknown metal with a mass of 241 grams is dropped into a graduated cylinder containing
$\qquad$ mL of water. The water level rises to
$\qquad$ mL . What is the density of the unknown metal?


A machinist needs to identify if an unlabeled box of screws is made of aluminum or stainless steel. The machinist puts 15 screws with a mass of 28 grams into a graduated cylinder that contains 20.0 mL of water. The water level rises to 30.4 mL . Steel has a density of $8.0 \mathrm{~g} / \mathrm{cm}^{3}$ whereas aluminum has a density of $2.7 \mathrm{~g} / \mathrm{cm}^{3}$. What are the screws made of? Justify your answer using a calculation.

## More Dimensional Analysis Practice

1) Determine how many milligrams (abbreviation: mg ) are in 3.21 lbs of lead. ( $1 \mathrm{lb}=\mathrm{about} 2.204 \mathrm{~kg}$ )
2) Earth is 1 "astronomical unit" away from the Sun. ( 1 AU is $150,000,000 \mathrm{~km}$, by the way) Jupiter is 5.2 AU away from the Sun. How many miles is Jupiter from the Sun? ( 1 mile $=1.609 \mathrm{~km}$ )
3) The area of this square garden is 169 cubic feet. What is the area in cubic meters? ( 1 foot $=12$ inches. 1 inch $=2.54 \mathrm{~cm}$ )
4) 1 mL is a volume unit that is equivalent to 1 cubic centimeter ( $\left.\mathrm{cm}^{3}\right)$.

This cylinder has a radius of 3.84 cm , and a height of 12.57 cm .
a. Determine the volume of the cylinder in cubic centimeters.

$$
V=\pi r^{2} h
$$

b. Determine the volume of the cylinder in milliliters.
c. Determine the volume of the cylinder in liters. Use scientific notation.
d. Determine the volume of the cylinder in ounces. ( $1 \mathrm{oz}=$ about 29.57 mL$)$

